

PH1

Question			Marking details	Marks Available									
1	(a)	(i)	Vectors have magnitude and direction; scalars have only magnitude [Reference to vectors and scalars required for complete answer, e.g. vectors have direction and scalars do not is enough]	1									
		(ii)	<table border="1"><thead><tr><th>Vector</th><th>Scalar</th></tr></thead><tbody><tr><td>velocity</td><td>distance</td></tr><tr><td>force</td><td>time</td></tr><tr><td></td><td>temperature</td></tr><tr><td></td><td>density</td></tr></tbody></table> <div>All correct → 2 One incorrect → 1 Two or more incorrect → 0</div>	Vector	Scalar	velocity	distance	force	time		temperature		density
	Vector	Scalar											
	velocity	distance											
	force	time											
	temperature												
	density												
(b)	(i)	1600 cos 25° (1) = 1450 N (1)	2										
	(ii)	Long (1) because greater component in the direction of motion (1) [NB Decrease angle only – not enough. 2 nd mark for reference to component either in direction of motion or perpendicular to it]	2										
				[7]									
2.	(a)	No net / resultant force [accept ‘total’](1) No net / resultant moment (1) [1 mark max if ‘net’ or equiv missing]	2										
	(b)	(i)	Downward vertical arrow indicated ± 1 cm of centre of bar [halfway between 30 N and 25 N forces], labelled 20 N	1									
		(ii)	$T_A \times 3(1) = 20 \times 1.5(1) + 40 \times 2.35 + 30 \times 1.75 + 25 \times 0.85(1)$ [Note: LHS →(1); RHS: moment of bar (1), all other moments (1)] $T_A = 65.9$ N (1)	4									
		(iii)	115 N (1) – 65.9 N (e.c.f.) = 49.1 N (1) [Accept solution based on taking moments about chain A or other equiv method]	2									
					[9]								

6	(a)	Accept answers in range $[-] 9.6$ to $[-] 10.0 \text{ [m/s}^2]$ [no unit or sign penalty] (1) <u>Acceleration due to gravity</u> (1)	2
	(b)	4.0 m s^{-1} [accept 3.9 or 4]	1
	(c)	[Constant] deceleration from 4 m s^{-1} to zero / rest in $0.4[1] \text{ s}$ (1) [Constant] accel from rest to -4 m s^{-1} from $0.4[1] \text{ s}$ to $0.8[2] \text{ s}$ (1) [Momentarily] stationary [or at its max height] at $0.4[1] \text{ s}$ (1) [NB or equivalent wordings to the same effect]	3
	(d) (i)	Area shaded between graph and abscissa from $0.8[2]$ to 3.2 s	1
	(d) (ii)	Shaded area: $\frac{1}{2} \times 2.8 \times 2.7 - \frac{1}{2} \times 0.4 \times 4$ (1) = 37 m (1) [or $\frac{1}{2} (4 + 27) \times (3.2 - 0.8)$ (1) = 37.2 m (1) or equiv. using equations of motion, eg. $x = ut + \frac{1}{2}at^2$] [$37.5 \pm 1.5\checkmark$]	2
		Directly beneath (1) <u>Horizontal</u> speed constant (1)because .. <u>no horizontal</u> force[s] acting on stone (1) [NB 'no' required; horizontal only needed once]	3
			[12]

Question			Marking details	Marks Available
7.	(a)	(i)	Force \times distance (1) moved in direction of force (1) [or equiv, eg component of force in direction of movement \times distance moved, or $W = Fd \cos \theta$ (1) - explanation for 2 nd mark] [Work is done when a force moves its point of application \rightarrow 1 only]	2
		(ii)	kg m s^{-2} (1) \times m \rightarrow $\text{kg m}^2 \text{s}^{-2}$ (1)	2
	(b)	(i)	$E_p \text{ lost} = 70 \times 9.81 \times 120 \sin 20^\circ$ (1) [or by impl.] $= 28\,000 \text{ J}$ [28148] (1) [Use of 10 for g - 1 st mark lost]	2
		(ii)	At A, $E_k = \frac{1}{2} \times 70 \times 6^2$ (1) [= 1260 J] At B, $E_k = \frac{1}{2} \times 70 \times 21^2$ (1) [= 15435 J] $\Delta E_k = 14175 \text{ J}$ (1) [If $(21 - 6)^2$ calculated \rightarrow 1 mark only]	3
	(c)	(i)	Energy cannot be created or destroyed only changed from one form to another	1
		(ii)	Energy is converted to [accept: lost as] internal energy heat / sound / ke of air (1) Detail: Molecules of air gain E_k as skier moves / molecules of snow / skis gain E_k / vibrational energy (1)	2
	(d)		Use of $W = Fd$ (1) [or by impl.] $28184 - 14175$ (1) (e.c.f. on both) = $F \times 120$ (1) [or by impl.] $F = 117 \text{ N}$ (1) [Accept answer based upon force components]	4
				[16]

6	(a)	A surface / body that absorbs all radiation incident / falling on it.	1
	(b)	$\lambda_{1\max} = 250 [\pm 10] \text{ nm} \text{ (1)}$ $T = \frac{W}{\lambda_{1\max}} \text{ (1) [thus or by impl.] = 11500 K (1) [e.c.f. on } \lambda_{1\max} \text{]}$	3
	(c)	(i) $A = \frac{\text{power}}{\sigma T^4} \text{ [transposition at any stage] (1)}$ $= \frac{2.53 \times 10^{31}}{5.67 \times 10^{-8} \times 11500^4} \text{ (e.c.f.) (1) = } 2.55 \times 10^{22} \text{ m}^2 \text{ ((unit))}$ [e.c.f. on T , e.g. $10^4 \text{ K} \rightarrow 4.46 \times 10^{22} \text{ m}^2$]	3
	(d)	(ii) Either $A_{\text{Sun}} = 4\pi r_{\text{Sun}}^2 \text{ [or by impl.] (1)}$ $= 6.1 \times 10^{18} \text{ m}^2 \ll A_{\text{Rigel}} \text{ (1)}$ e.c.f over slips in 4 or π Or $r_{\text{Rigel}} = A_{\text{Rigel}} / 4\pi \text{ (1)}$ $= 4.5 \times 10^{10} \text{ m} \gg r_{\text{Sun}} \text{ (1)}$ e.c.f over slips in 4 or π	2
		(iii) Spectral intensity higher at 400 nm than at 700 nm (1) 400 nm is at violet end of visible spectrum (1) [or converse] <u>So Rigel not</u> a red giant [Not a freestanding mark] [NB – “Peak closer to violet than red,” unsupported by figures, loses first mark]	3
			[12]

Question			Marking details	Marks Available
7.	(a)	(i)	e	1
		(ii)	zero	1
	(b)		baryon	1
	(c)		<p>p = uud (1)</p> <p>u quark number for x = $4 - 3$ [= 1][or equiv] (1)</p> <p>d quark number for x = $2 - 1 - (-1)$ [=2] [or equiv] (1)</p> <p>So x is a neutron (1) [or Δ^0]</p>	4
	(d)		Lepton number zero before and after	1
	(e)		<p>Any 1 \times (1) of</p> <ul style="list-style-type: none"> • High KE means short contact time ✓ • u and d numbers separately conserved [so not weak] ✓ • no γ involvement [suggests not e-m] ✓ <p>So strong (1)</p>	2
				[10]

Solids under stress

a) Take a wire of the material

Clamp at top and suspend a weight from the bottom of the wire

Draw diagram of setup

Measure diameter

Using vernier callipers

Measure length

When adding weight, measure extension

Calculate cross sectional area of wire

Calculate force applied

Use $E = \text{stress/strain}$

b) Start with $E = \text{stress/strain}$

Use energy stored $= \frac{1}{2} Fx$

Substitute for Force and extension using formulae for stress and strain

Use fact that energy stored PER unit volume means divide expression by (length times cross sectional area) which gives desired result.